29<sup>th</sup> International Congress for School Effectiveness and Improvement January 6-9, 2016, Glasgow, Scotland



# Using Different Measures of Teaching Quality to Predict Student Learning in Mathematics: An Exploratory Study

**Charalambos Y. Charalambous & Ermis Kyriakides** 

1

**Department of Education, University of Cyprus** 



### **Structure of Presentation**

- 2
- Why should we measure teaching quality accurately?
- Different approaches to measuring teaching quality
- Research purpose and research questions
- Methods
- Selected findings
- Discussion and tentative conclusions
- Lessons learned and open issues



### Why Measuring Teaching Quality Accurately?

#### Teachers matter for student learning:

- Empirical studies have repeatedly documented teachers' role for student learning (Hattie, 2009; Nye, Konstantopoulos, & Hedges, 2004; Strong, 2011)
- Teacher effects have been found to explain a higher percentage of variance in student achievement compared to school-effects or system-level effects (Muijs & Reynolds, 2001; Scheerens & Bosker, 1999)
- Increased accountability pressures
  - Need to ensure that public expenditure on education is well spent (cf. Papay, 2012) –especially during an era of economic crisis



- 4
- Several approaches pursued to measure teaching quality:
  - classroom observations (e.g., Douglas, 2009)
  - teacher logs (e.g., Rowan & Correnti, 2009)
  - principal ratings (e.g., Harris, Ingle, & Rutledge, 2014)
  - teacher ratings (e.g., Kyrgiridis et al., 2014)
  - student ratings (e.g., De Jong & Westerhof, 2001; Fauth et al., 2014)



#### **Classroom observations:**

The "gold standard" of measuring teaching quality (Rowan & Correnti, 2009)

#### Can avoid many of the biases associated with self-reported data (Strong, 2011) → can yield more reliable data

Can produce stronger effects than those obtained through teacher selfreports or student surveys (e.g., Seidel & Shavelson, 2007)

#### **Expensive to obtain**

Estimates are influenced by a variety of factors, including the observational instrument, the recruitment and training of raters, the number and the length of observations to be conducted etc. (cf. Casabianca et al., 2013; Hill, Charalambous. & Kraft, 2012; Praetorius, Lenske, & Helmke, 2012)



#### **Teacher ratings:**

Provide **inexpensive measures** of teaching quality with increased face validity (Kunter & Baumert, 2006)

**Correlations** between teacher selfreported data and student learning have been **moderate** (e.g., Mayer, 1999; Porter, 2002) Teachers might deliberately (Blank, 2002) or unwittingly (Cohen, 1990) delineate their work in ways that depart notably from their actual practice→ significant bias

Teachers' reports on annual surveys hardly capture the complexity and variability of their instruction (Rowan & Correnti, 2009)

Friday, January 8, 2016



ICSEI 2016, Glasgow

#### **Student ratings:**

Can have **even higher predictive validity** than classroom observations when aggregated at the classroom level (De Jong & Westerhof, 2001)

Can accurately delineate teachers' day-to-day work (Fauth et al., 2014; Hastie & Siedentop, 1999)

**Cheaper** to obtain than classroom observations

Can produce trustworthy measures of teaching quality, largely when students are asked questions about **easily observed behaviors** (Fauth et al., 2014; Panayiotou et al., 2014)

Can be affected by factors such as **teacher popularity** (Kunter & Baumert, 2006)



ICSEI 2016, Glasgow

### **Research Purpose and Research Questions**

#### **Purpose:**

- Contribute to the ongoing dialogue about measuring teaching quality effectively and accurately
  - Explore the predictive validity of classroom observations, student ratings, and teacher ratings
  - Consider both cognitive and affective learning outcomes

#### Research questions:

- Which approach has more predictive power in determining student learning outcomes?
- Are these approaches differentially effective in predicting student learning when it comes to different types of learning outcomes?



#### **Participants**:

- 948 3<sup>rd</sup> to 6<sup>th</sup> elementary school students
- 50 elementary school teachers

#### Data collection:

- Cognitive learning outcomes:
  - students completed a test measuring their performance in mathematics at the beginning and end of the academic year 2014-2015; test validated in prior studies (Kyriakides & Creemers, 2008)
- Affective learning outcomes:
  - students completed a questionnaire measuring their attitudes and beliefs towards doing and learning mathematics (administered at the beginning and end of the academic year 2014-2015; questionnaire based on TIMSS survey)



#### **Data collection:**

- Classroom observations:
  - Each teacher was observed three times during the academic year by three independent raters, using two observational rubrics
    - the Dynamic Model of Educational Effectiveness (Creemers & Kyriakides, 2008): generic teaching practices
    - the Mathematical Quality of Instruction (Learning Mathematics for Teaching, 2011): content-specific teaching practices
  - Student and teacher ratings:
    - Student and teacher surveys completed at the end of the academic year 2014-2015
    - Surveys explored certain generic or content-specific aspects of teaching quality



#### **Data analyses:**

- **Rasch model** applied to the student test data → a scale with satisfactory psychometric properties was developed
- Exploratory factor analyses applied to the student survey : three factors consistently yielded for both administrations; two met acceptable reliability thresholds (positive attitude toward mathematics; positive self-efficacy beliefs)

Confirmatory factor analyses applied to observations/student ratings

- Richness of the mathematics and cognitive activation (low inference classroom observation rubric)
- Richness, cognitive activation, and focusing on mathematical procedures (high-inference classroom observation rubric)
- Richness, cognitive activation, and working w/students & math (st. ratings)

#### Teacher ratings

Richness, cognitive activation, mathematical procedures, and working with students and mathematics (no factor analysis applied because of small sample size)



12

Data analyses: Multi-level analyses

$$Y_{ij} = \pi_{0j} + \pi_1 X_{1ij} + \sum_{s=2}^{S} \pi_s X_{sij} + e_{ijk}$$
 (Eq. 1)

#### Where:

- $Y_{ij}$  is the end-of-year outcome (cognitive or affective) of student *i* taught by teacher *j*;
- $X_{1ii}$  is the variable corresponding to students' initial cognitive or affective performance [grand-mean centered]) (entered in Model 1);
- $X_{sij}$  are the student background characteristics (gender [dummy variable], and SES indicators) (entered in Model 2);
- $\pi_{0j}$  is the adjusted mean performance for students of teacher *j* after controlling for student initial performance and background characteristics;
- $\pi_1$  is the fixed effect of student beginning-of-year performance;
- $\pi_s$  are the fixed effects of student background characteristics;
- $e_{ij}$  is the random "student effect," that is the deviation of student i of teacher from the teacher-group mean.



#### Data analyses:

Multi-level analyses

$$\pi_{0j} = \beta_{00} + \sum_{m=1}^{M} \beta_{0m} W_{mj} + u_{0j} \qquad \text{(Eq. 2a)}$$
  
$$\pi_{0j} = \beta_{00} + \sum_{n=1}^{N} \beta_{0n} W_{nj} + u_{0j} \qquad \text{(Eq. 2b)}$$
  
$$\pi_{0j} = \beta_{00} + \sum_{p=1}^{P} \beta_{0p} W_{pj} + u_{0j} \qquad \text{(Eq. 2c)}$$

Where:

- $\beta_{00k}$  is the grand mean;
- $W_{mj}$  are the content-specific teaching practice scores from lesson observations of teacher j (grand-mean centered);
- $W_{nj}$  are the content-specific teaching practice scores from student ratings for teacher j (grand-mean centered);
- $W_{pj}$  are the content-specific teaching practice scores from teacher ratings for teacher j (grand-mean centered );
- $\beta_{0m}$  are the effects of content-specific practices for the observational scores;
- $\beta_{0n}$  are the effects of content-specific practices for student ratings;
- $\beta_{0p}$  are the effects of content-specific practices for teacher ratings;
- $u_{0j}$  is the random "teacher effect," that is the deviation of teacher j's mean from the grand mean.



## **Selected Findings**

#### **Cognitive learning outcomes:**

- 28% of the variance at the teacher level in the null model, but only 3% remained unexplained after introducing pre-test results
- Used student learning as the dependent variable:
  - 9.69% of the variance at the teacher level
  - Percentage of unexplained teacher-level variance explained when introducing:
    - Classroom observations (factors): 17.65%
    - Student ratings (factors): 0%
    - Teacher ratings (composites): 0%
    - Classroom observations (individual codes): 58.82%
    - Student ratings (individual statements): 8.40%
    - Teacher ratings (individual statements): 57.14%



## **Selected Findings**

#### Affective learning outcomes (positive attitudes):

- 14.88% of the variance at the teacher level in the null model
- 8.76% of the variance at the teacher level remained unexplained once introducing the initial measure
  - Percentage of unexplained teacher-level variance explained when introducing:
    - Classroom observations (factors): 0%
    - Student ratings (factors): 37.63%
    - Teacher ratings (composites): 0%
    - Classroom observations (individual codes): 30.11%
    - Student ratings (individual statements): 59.14%
    - Teacher ratings (individual statements): 44.09%



## **Selected Findings**

#### Affective learning outcomes (positive self-efficacy beliefs):

- 4.43% of the variance at the teacher level in the null model; 2.99% of the variance at the teacher level remained unexplained once introducing the initial measure
- Used the difference as the dependent variable (4.70% unexplained variance at the teacher level)
  - Percentage of unexplained teacher-level variance explained when introducing:
    - Classroom observations (factors): 0%
    - Student ratings (factors): 25.71%
    - Teacher ratings (composites): 22.86%
    - Classroom observations (individual codes): 28.57%
    - Student ratings (individual statements): 31.43%
    - Teacher ratings (individual statements): 37.14%



## **Discussion and Tentative Conclusions**

#### Some interesting patters:

- Using factors or composites:
  - Cognitive results: classroom observations >student/teacher ratings
  - Affective results: student ratings first and classroom observations last
- Using individual statements:
  - Cognitive results: classroom observations ≈ teacher ratings > student ratings
  - Affective results: student/teacher ratings > classroom observations
- Which measurement approach is best?
  - It depends on the type of the learning outcome considered
  - It depends on whether composites or individual statements are being used



### **Lessons Learned and Open Issues**

- 18
  - Importance of considering different learning outcomes; cognitive or affective learning outcomes in isolation yield only part of the story
    - Why these differences occur calls for future (more qualitative?) studies
  - Results concern content-specific teaching practices; it remains an open issue whether these patterns are replicated for generic teaching practices
  - Importance of combining different approaches to better understand student learning: difficult in the present study because of the small percentage of teacher-level variance and issues of multicollinearity
  - Using composites or individual statements?
    - Do composites have more noise than individual statements?



### Thank you for your attention!

Comments
Questions
Suggestions

### Charalambos Y. Charalambous cycharal@ucy.ac.cy

